Persistence Semantics for Weak Memory

Integrating Epoch Persistency with the TSO Memory Model

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History

time

Difficulty





Sequential



Sequential

History

Difficulty



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Difficulty



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Integrating Epoch Persistency with the TSO Memory Model

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Emerging non-volatile memory (NVM) technologies promise the durability of disks with the performance of volatile memory (RAM). To describe the persistency guarantees of NVM, several *memory persistency* models have been proposed in the literature. However, the formal semantics of such persistency models in the context of existing mainstream hardware has been unexplored to date. To close this gap, we integrate the *buffered epoch persistency* model with the 'total-store-order' (TSO) memory model of the x86 and SPARC architectures. We thus develop the *PTSO* (*'persistent' TSO*) model and formalise its semantics both operationally and declaratively. We demonstrate that the two characterisations of *PTSO* are equivalent. We then formulate the notion of *persistent linearisability* to establish the correctness of library implementations in the context of persistent memory. To showcase our formalism, we develop two persistent implementations of a queue library, and apply persistent linearisability to show their correctness.

Persistent

WMC

time



$$// x = v$$
 : reading x yields v



$$// x = v$$
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$$// x = v$$
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persists are *asynchronous* (buffered): may not persist immediately

$$// x = v$$
 : reading x yields v







x:=1 : adds x:=1 to memory

a:=x : reads x from memory



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* at non-deterministic times

What is Memory Persistency Model?

 Memory consistency model describes: the order writes are made visible to other threads e.g. SC, TSO, ...

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 Memory *persistency* model describes: the order writes are persisted to memory e.g. <u>Epoch Persistency</u>

What is Memory Persistency Model?

• Memory *consistency* model describes:

Problem

Formal Epoch Persistency Model

for Mainstream Hardware (Weak Memory Models)

the order writes are persisted to memory e.g. Epoch Persistency

What Can Go Wrong?



What Can Go Wrong?



!! Writes may persist out of order

What Can Go Wrong?



!! Writes may persist out of order

persistent fence pfence





• writes on *same locations* persist in <u>execution order</u>





- writes on *same locations* persist in <u>execution order</u>
- writes on *different locations* are <u>unordered</u>





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- pfence adds a new **epoch**





- writes on same locations persist in execution order
- writes on different locations are <u>unordered</u>
- pfence adds a new **epoch**
- writes persist in <u>epoch order</u>





What Can Go Wrong (Continued)?



!! Execution continues ahead of persistence

What Can Go Wrong (Continued)?



Execution continues ahead of persistence

persistent sync psync

What Can Go Wrong (Continued)?



Execution continues ahead of persistence

persistent sync psync

Cl; psync; C2

- same persist-ordering as pfence
- C2 executed only when all C1 writes have persisted

Persistent Sync



Execution continues ahead of persistence

persistent sync psync

Cl; psync; C2

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- C2 executed only when all C1 writes have persisted



x := 1 : adds x := 1 to p-buffer

a:=x : if p-buffer contains x, reads latest entry else reads from memory


(Sequential) Hardware



x := 1 : adds x := 1 to p-buffer

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p-buffer lost; memory retained

unbuffer* : p-buffer to memory (in epoch order)

(Sequential) Hardware



x := 1 : adds x := 1 to p-buffer

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unbuffer* : p-buffer to memory (in epoch order)

pfence : introduces a new epoch in p-buffer

psync : flushes the entire p-buffer to memory

What about Concurrency?



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- PTSO: <u>First</u> formal epoch persistency semantics under mainstream hardware
 - Operational model
 - Declarative model
 - Equivalence of the two models

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 - PTSO programming *pattern*
 - Correctness condition: persistent linearisability
 - Verified several examples under PTSO















































Persistent TSO (PTSO)





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Verifying programs under PTSO

```
1. q.enq(v) ≜
                                         35. start() \triangleq
 2. pc:=getPC(); t:=getTC();
                                         36. lq:=newQueue();
 3. n:=newNode(v,t,pc);
                                         37. s:=P.size; lmap:=newMap(s);
 4. map[t][pc]:=n; pfence;
                                         38. for (t in P)
 5. lock(q); h:=q.head;
                                         39. lmap[t]:=newArray(P[t].size,⊥);
 6. while (q.data[h] != null)
                                          40. pfence;
 7. h:=h+1;
                                          41. q:=lq; map:=lmap; run(P);
 8. q.data[h]:=n;
                                          42. recover() \triangleq
 9. pfence; unlock(q);
                                         43. if (q==null || map==null)
10. q.deq() ≜
                                          44. goto start();
11. pc:=getPC(); t:=getTC();
                                          45. for(t in P) enq[t]:=-1;
12. lock(q); h:=q.head; n:=q.data[h];
                                         46. unlock(q);
13. map[t][pc]:=n;
                                          47. for(t in P) { // deq recovery
14. if (n != null) {
                                             (pc,n):=getProgress(t);
                                          48.
15. t':=n.t; pc':=n.pc;
                                         49. if (pc>=0 && isDeq(P[t][pc])) {
16. map[t'][pc'] := \top 
                                              if (n==null)
                                         50.
17. pfence;
                                         51.
                                              P'[t]:=sub(P[t],pc+1);
18. if (n != null) {
                                         52.
                                                else {
19. q.head:=h+1; pfence; }
                                         53.
                                              if (inIn(q,n))
20. unlock(q); return n;
                                                P'[t]:=sub(P[t],pc);
                                         54.
                                         55.
                                                 else
21. lock(q) ≜
                                                  P'[t]:=sub(P[t],pc+1);
                                         56.
22. while (!CAS(q.lock,0,1)) skip;
                                                 t':=n.t; pc':=n.pc;
                                         57.
                                                 enq[t']:=max(enq[t'],pc'+1);}
                                         58.
23. unlock(q) \triangleq q.lock:=0;
                                         59.
                                             }
                                               else if (pc<0) P'[t]:=P[t];</pre>
                                         60.
24. isIn(q,n) ≜
                                         61. }
25. h:=q.head; c:=q.data[h];
                                          62. for(t in P) { // eng recovery
26. while (c != null) {
                                         63. (pc,n):=getProgress(t);
27. if (n==c) return true;
                                         64. if (pc>=0 && isEnq(P[t][pc])) {
28. else { h:=h+1; c:=q.data[h]; }
                                         65.
                                              if (pc < enq[t])
29. } return false;
                                              P'[t] := sub(P[t],enq[t]);
                                         66.
                                                else if (n==\top || isIn(q,n))
30. getProgress(t) \triangleq
                                         67.
                                                 P'[t]:=sub(P[t],pc+1);
31. pc:=-1; n:=\perp;
                                         68.
                                                else
32. while (map[t][pc+1]!=\perp) {
                                         69.
                                                 P'[t]:=sub(P[t],pc); }
33. pc++; n:=map[t][pc]; }
                                         70.
                                         71. } run(P');
34. return (pc,n);
```

The *persistent* variant of the Michael-Scott queue and its *recovery* mechanism

Verifying programs under PTSO



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- 36. lq:=newQueue();
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- 39. lmap[t]:=newArray(P[t].size,⊥);
- 40. pfence;
- 41. q:=lq; map:=lmap; run(P);

```
42. recover() \triangleq
```

- 43. if (q==null || map==null)
- 44. goto start();
- 45. for(t in P) enq[t]:=-1;
- 46. unlock(q);
- 47. for(t in P) { // deq recovery

What constitutes a *correct persistent* implementation?

enq[t']:=max(enq[t'],pc'+1);} 23. unlock(q) \triangleq q.lock:=0; } else if (pc<0) P'[t]:=P[t];</pre> 24. isIn(q,n) ≜ 61. } 25. h:=q.head; c:=q.data[h]; 62. for(t in P) { // enq recovery 26. while (c != null) { 63. (pc,n):=getProgress(t); 27. if (n==c) return true; 64. if (pc>=0 && isEnq(P[t][pc])) { 28. else { h:=h+1; c:=q.data[h]; } 65. if (pc < enq[t])29. } return false; 66. P'[t]:=sub(P[t],enq[t]); else if (n==⊤||isIn(q,n)) 30. getProgress(t) \triangleq 31. $pc:=-1; n:=\perp;$ P'[t] := sub(P[t], pc+1);else 32. while $(map[t][pc+1]!=\perp)$ { P'[t]:=sub(P[t],pc); } 33. pc++; n:=map[t][pc]; } 71. } run(P'); 34. return (pc,n);

The **persistent** variant of the Michael-Scott queue and its **recovery** mechanism





- Define happens-before relation hb
 - ▶ $(e_1, e_2) \in hb \iff e_1.end <_{time} e_2.begin$



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--e.g. $(a, b) \in hb$ $(a, c) \notin hb$



- Define happens-before relation *hb*
 - ▶ $(e_1, e_2) \in \frac{hb}{b} \iff e_1.end <_{time} e_2.begin$

--e.g. (a, b) ∈ hb (a, c) ∉ hb

- *Linearisable* $\iff \exists H. H$ totally orders events
 - H respects hb
 - ► *H* is a *legal* sequence (library-specific)



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c)∉ hb

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linearisable



(a),


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(a,

С

)*∉ hb*



(a, c) ∉ hb

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non-linearisable (not legal)





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--e.g. $(a, b) \in hb$ $(a, c) \notin hb$



• Define happens-before relation *hb*

--e.g. (a, b) ∈ hb

- ▶ $(e_1, e_2) \in hb \iff e_1.end <_{time} e_2.begin$
- **Persistently linearisable** $\iff \exists H. H$ totally orders a **subset** S of events

(**a**, **c**) ∉ hb

- ► *H* respects *hb*
- ► *H* is a legal sequence



- Define happens-before relation *hb*
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 - --e.g. $(a, b) \in hb$ $(a, c) \notin hb$

• **Persistently linearisable** $\iff \exists H. H$ totally orders a **subset** S of events

- ► *H* respects *hb*
- ► *H* is a legal sequence
- ► S is *hb*-*prefix-closed* : $(a, b) \in hb$ and $b \in S \implies a \in S$

-- persists are *asynchronous*: only a *prefix* may persist <u>after a crash</u>



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 - ▶ $(e_1, e_2) \in hb \iff e_1.end <_{time} e_2.begin$
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 - ► S is *hb-prefix-closed* : $(a, b) \in hb$ and $b \in S \implies a \in S$
 - -- persists are *asynchronous*: only a *prefix* may persist <u>after a crash</u>

Persistently linearisable











• A chain $G_1 \cdots G_n$ is persistently linearisable $\iff \exists H_1 \cdots H_n$.

- H_i persistently linearises G_i as before
- ► H_1 ++ ... ++ H_n is a legal sequence

Conclusions

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Thank you for listening!







Programming Pattern

- 1. // log progress
- 2. pfence
- 3. // do the work
- 4. pfence

Programming Pattern



Log at most one step ahead of work

Programming Pattern



q.enq(v) ≜
1. pc:=getPC(); t:=getTC();
 n:=newNode(v,t,pc,null);
 map[t][pc]:=n;
2. pfence;
3. h:=q.head;
 find: while (q.data[h] != null)
 h:=h+1;
 if (!CAS(q.data[h],null,n))
 goto find;
4. pfence;

Log at most one step ahead of work